

iXL X.3

Types of Problems

- Bacteria
- Population
- Radioactive Decay
- Exponential Growth/Decay

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Solving problems involving bacteria,
population, or radioactive decay.

MAKE A TABLE!

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Time	Population, Bacteria, or Grams
0	(starting value)
(growth or decay time)	

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iXL X.3 Example

How much of a radioactive kind of argon will be left after 4 hours if you start with 80 grams and the half-life is 2 hours?

grams

Time	Grams
0	80 (starting value)
2 (half-life)	40
4	20

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Solving problems
involving exponential growth/decay.

DETERMINE IF IT IS
INCREASING, DECREASING, OR
ASKING FOR THE INTEREST!

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Exponential Growth - Increasing

starting value $(1 + \%)^t$

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iXL X.3 Example

Exponential Growth - Increasing

Lester has \$10 in a savings account. The interest rate is 10%, compounded annually.

To the nearest cent, how much will he have in 2 years?

\$

$$\begin{aligned} & \text{starting value } (1 + \%)^t \\ & 10 (1 + .10)^2 \\ & 10 (1.10)^2 \\ & 10 (1 + .10)^2 \\ & \$12.10 \text{ total after 2 years.} \end{aligned}$$

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Exponential Decay - Decreasing

$$\text{starting value } (1 - \%)^t$$

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iXL X.3 Example

Exponential Decay - Decreasing

Whitney just drank a cup of coffee to help her stay awake. The coffee had 95 milligrams of caffeine in it. If her body processes 15% of the caffeine every hour, how much will be left in 3 hours?

If necessary, round your answer to the nearest tenth.

milligrams

starting value $(1 - \%)^t$

$$95 (1 - .15)^3$$

$$95 (.85)^3$$

58.3 milligrams

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Compound Interest - Interest ONLY

$$\text{interest} = \text{starting value} (1 + \%)^t - \text{starting value}$$

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iXL X.3 Example

Compound Interest - Interest ONLY

Layla has \$90 in a savings account that earns 10% interest, compounded annually.

To the nearest cent, how much interest will she earn in 2 years?

\$

starting value $(1 + \%)^t$

$$90 (1 + .10)^2$$

$$90 (1.10)^2$$

$$90 (1 + .10)^2$$

\$108.90 total after 2 years.

Find the interest.

$$\text{\$108.90 total}$$

$$\text{- \$90 original}$$

$$\text{= \$18.90 interest}$$

\$18.90 interest earned.